# Experiment 3 <br> <br> Voltage Dividers and Thévenin's Theorem 

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## Objectives:

In this experiment you will learn how to:

- Determine analytically the effects of a load on the voltage relationships in a resistive voltage-divider circuit.
- Design a voltage divider which will meet specified voltage and current requirements.
- Investigate the operation of real voltage and current sources, and calculate and measure the Thévenin voltage and resistance of a circuit.
(1) How do we find the bleeder current $I_{1}$ ?


Fig. A. 1

We first connect the circuit of Fig A. 1 maintaining a constant voltage of 10 V at the input. With zero load current, (i.e. rheostat open), we measure the bleeder current $\mathrm{I}_{1}$ (in mA ). We also measure and record the voltages $V_{B}$ to ground, and $V_{A}$ to ground.

- We measure the bleeder current $\mathrm{I}_{1}$ with the use of the digital multimeter.
- All currents in the circuit must pass through the ammeter. We connect them (components- especially the bleeder current $I_{1}$ and the ammeter)) in series not in parallel because if we connect them in parallel the current would be divided.
- An ammeter must have a low resistance.
- To measure the current, the circuit must be broken to allow the ammeter to be connected in series.


The connection of the ammeter
(2) How do we find the load resistance $R$ for different load conditions?

## Definitions:

- A rheostat is an adjustable resistor used in applications that require adjustments of current or the varying resistance in electric circuits.
- The voltmeter= potentiometer is what measures unknown voltages by balancing it.

We connect the rheostat in the circuit and adjust it to draw $2 \mathbf{m A}$ by the digital multimeter of load current while maintaining $\mathrm{V}=10 \mathrm{~V}$, measured. We measure and record the bleeder current and the voltages $V_{B}$ and $V_{A}$. We open the load resistor $R_{L}$, with out varying the setting of the arm. We measure and record the resistance to which it was set to draw 2 mA of load current. We reconnect RL after this measurement (by the digital multimeter).
(3) $J_{n}$ the circuit of figure A.1, how can we find a bleeder current of a certain value without changing the given resistances or using any new ones?

Connect a rheostat across the bleeder resistors. Connect the ammeter across nodes $B$ and $C$ (in series with $I_{1}$ ) and vary the arm of the rheostat until we get the required current ( 2 mA for example) on the ammeter as a bleeder current.
Remove the rheostat from the circuit and measure its resistance value by plugging the probes in the $\stackrel{\mathrm{V}}{\Omega}$ ■ socket in the digital multimeter and press the ohm bottom.


Fig. A. 1


How do we get the required value of a certain resistor?

If we didn't have the required design-value resistor, we adjust a potentiometer connected as a rheostat to the desired value, or make up the resistor from a combination (series, parallel) of the other resistors. Or simply measure the value using a digital multimeter (according to the current value).
(5) $\mathcal{H}$ tow does the load current vary with the load resistance $R$ ? Explain why.

The load current decreases as the load resistance increases. This is a logical observation since current and resistance are inversely proportional with respect to voltage (By Ohm's law).
> (6) $W_{\text {hat }}$ is the effect on bleeder current $I_{1}$ as the load current increases? Explain why.

As the load current increases, the bleeder current 11 decreases. Even though the source current is not constant, we can see that the general sense of linear relationship between the three currents conserved: $I_{S}=I_{1}+I_{L}$.
(7) $W_{\text {hat }}$ is the effect on the voltages $v_{A}$ and $V_{B}$ at the divider taps as the load current increases? Explain why.

Both $V_{A}$ and $V_{B}$ decrease as the load current increases. This is valid since these voltages are constant multiples of the bleeder current and the bleeder current decreases with the increase in load current.
$8 W_{\text {hat }}$ are the methods for finding $V_{t h}$ and $R_{t h}$ ?
Method 1:
Measure open circuit voltage ( $\mathrm{V}_{\text {th }}$ ) and put a short circuit in the place of the supply to measure $R_{\text {th }}$ (across $A$ and $B$ ) with a digital multimeter. So open circuit $V_{t h}$ and keep $R_{L}$ in place and measure $\mathbf{R}_{\mathrm{th}}$ using multimeter across $\mathbf{A}$ and $\mathbf{B}$.
Method 2:
Apply two different resistors on RL and measure the voltage across it. In the circuit below:


Fig. C. 4
We find

$$
V_{L(1)}=\frac{R_{L 1} \times V_{t h}}{R_{L 1}+R_{t h}} \quad \text { and } \quad V_{L(2)}=\frac{R_{L 2} \times V_{t h}}{R_{L 2}+R_{t h}}
$$

Solve two equations with two unknowns and find $\mathbf{V}_{\text {th }}$ and $\mathbf{R}_{\text {th }}$.
Method 3- The Matched Impedance Method:


Fig. C. 3
We use a potentiometer as a variable resistance between the AB terminals of the circuit of the above figure. We vary the resistance until load voltage drops to half of the measured VTH (open-circuit voltage.) Then we disconnect the load resistance and measure its resistance with the multimeter. $\mathbf{R}_{\mathrm{L}}=\mathbf{R}_{\mathrm{th}} \rightarrow \mathbf{V L =} \mathbf{V}_{\mathrm{th}} / \mathbf{2}$ and thus $\mathbf{V}_{\mathrm{th}}=\mathbf{V}_{\text {oc }}$ and $\mathbf{R}_{\mathrm{L}}=\mathbf{R}_{\text {th }}$
Simplified Procedure:

- open circuit $V$ and measure $\mathbf{V}_{\text {th }}$
- vary the arm of the rheostat until $V_{L}=1 / 2 \mathbf{V}_{\text {th }}$ and this $\mathbf{R}_{\mathrm{L}}=\mathbf{R}_{\text {th }}$ since $V_{\text {th }}=V_{\text {oc }}$ (from circuit $C .4$ and by voltage division)


Fig. C. 4

